



Developments Toward a Rapidly Tunable RF Cavity at FAR-TECH, Inc.

Presented by Jin-Soo Kim

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US Patent #8508319

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Acknowledgement

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Andy Sessler – LBNL
Dejan Trbojevic – BNL

This problem was suggested to us by Dr. A. Sessler.

Motivation

Rapid-Cycling Accelerators (synchrotron, FFAG) have varying revolution times on successive orbits, requiring different accelerating cavity frequency for each cycle.

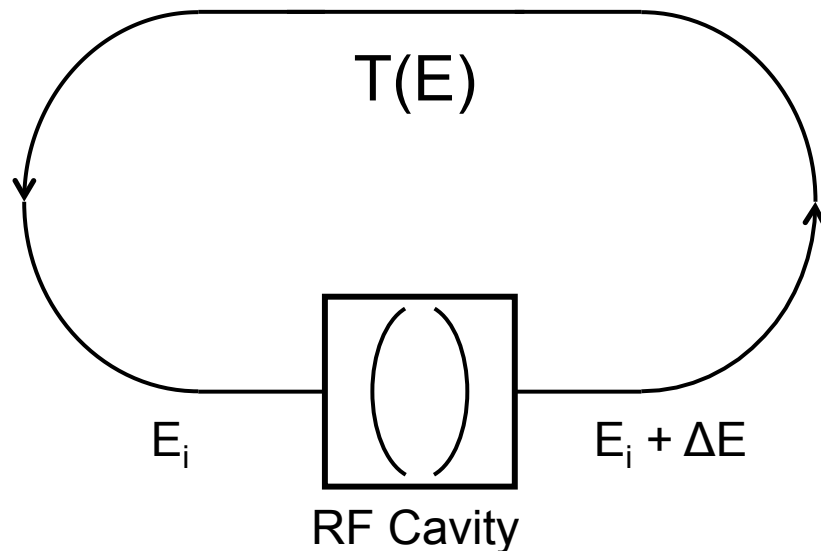
The short time required of adjusting the accelerating cavity frequency became a bottleneck for the development of such accelerators.

- **These revolution times can be as low as 100 ns**
- **Ferromagnetic (ferrite) tuning cannot adjust the frequency of the cavity rapidly enough**
- **Low Q solutions (magnetic alloy or high external Q) waste RF power**

Motivation - continued

- Ferroelectric material in accelerator applications have shown response times $< 10\text{ns}$
- FAR-TECH is developing a ferroelectric tuned cavity in the frequency range 375 – 400 MHz as a start.
- Potential uses include proton/ C^{6+} ion cancer therapy and sub-critical reactors

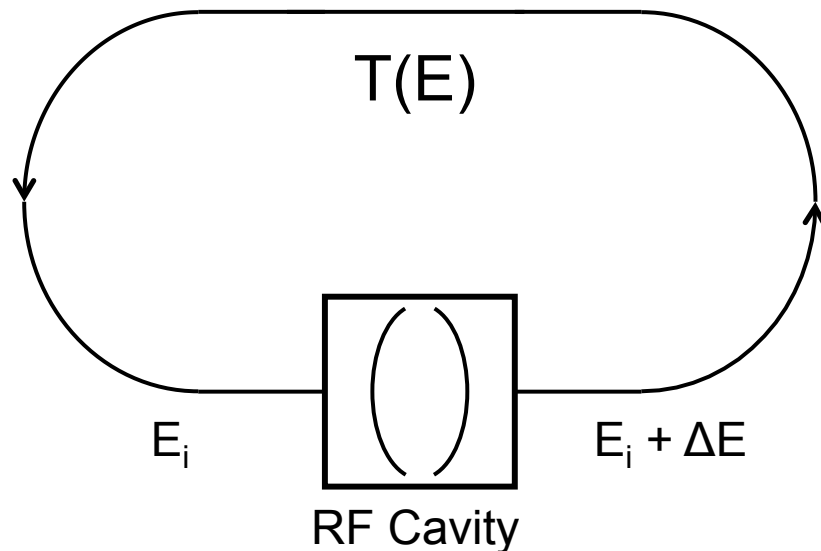
The Problem in a Nutshell



- Want $\phi_{rf}/2\pi$ to be an integer for on-crest acceleration
- For fixed frequency, this only happens if f is a harmonic of $1/T$
- This makes fixed frequency acceleration difficult if T changes (which it does)

Cartoon Schematic of a Generic Recirculating Accelerator

The Problem in a Nutshell



Cartoon Schematic of a Generic Recirculating Accelerator

- Want $\varphi_{rf}/2\pi$ to be an integer for on-crest acceleration
- For fixed frequency, this only happens if f is a harmonic of $1/T$
- This makes fixed frequency acceleration difficult if T changes (which it does)
- For **changing** frequency, adjust $f(t)$ such that the phase change between crossings ($\varphi_{rf}/2\pi$) is an integer
- The time history of the frequency is just as important as the size of the change in frequency over the revolution

$$\frac{\varphi_{rf}}{2\pi} = \int_{t_i}^{t_i+T} f(t) dt$$

Low Q vs. “Higher” Q RF Cavity

- Low Q RF Cavity ($Q \sim 2-500$)
 - Wide resonance implies
 - Stored RF energy is “dumped” between cavity crossings
 - Greater RF losses
 - Generally does not require active tuning
 - Short fill time allows for replacement of RF power between cavity crossings
- “Higher” Q RF Cavity ($Q > 1000$)
 - Must be actively tuned
 - Narrow resonance implies lower RF losses
 - **Stored energy is “conditioned” and remains in the cavity for many cycles**
 - To maintain stable power levels, the RF power feed must be synchronous in both *frequency* and *phase* with the stored energy in the cavity

Ferroelectrics (FE) are the key

Ferroelectric materials change permittivity (ϵ) when exposed to a biasing electric field and can have low loss tangent

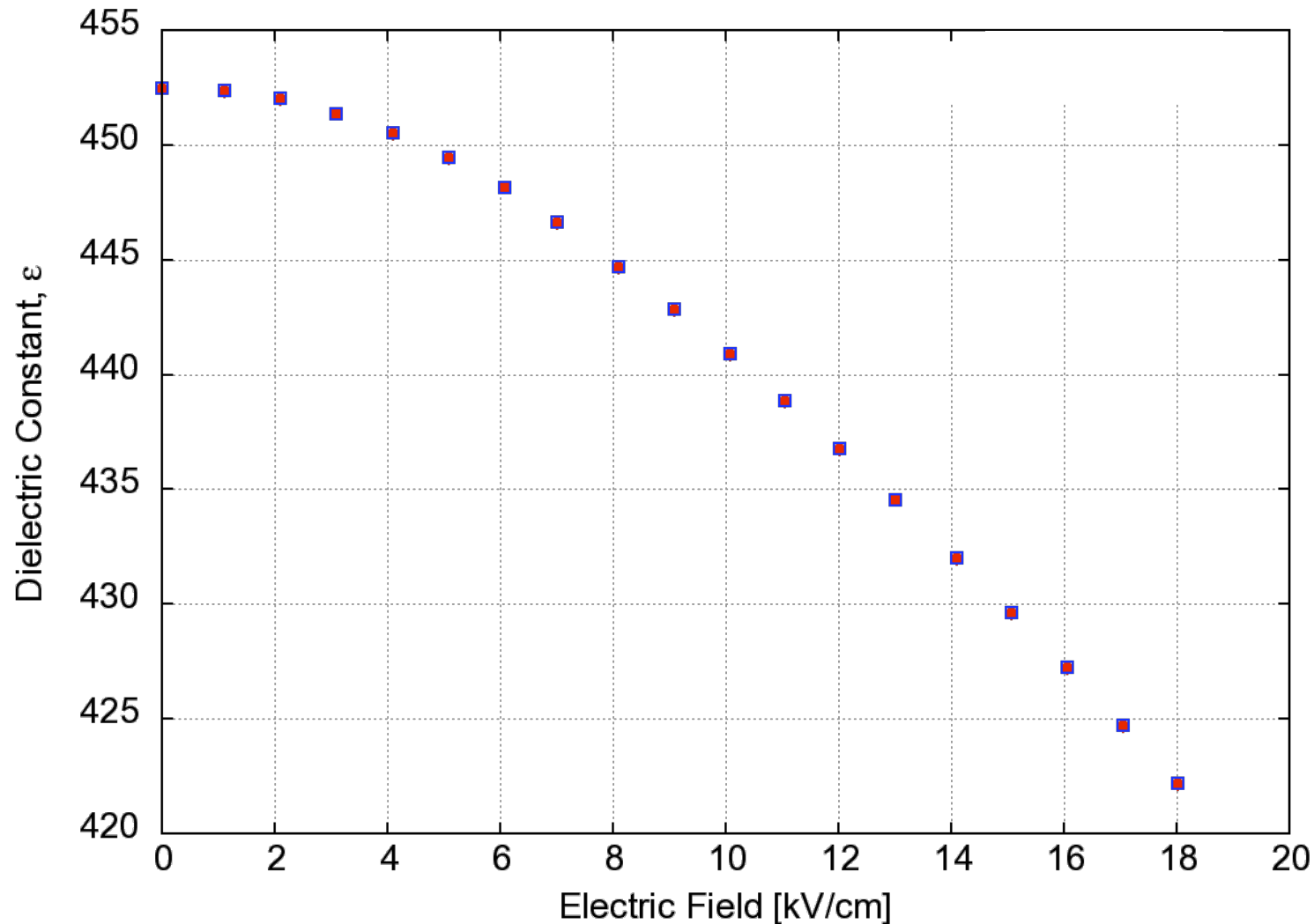
- ϵ changes with changing *electric field bias*
- Base ϵ values between **75 and 800** are possible
- Low loss tangent does not mean low losses due to high ϵ
Loss $\propto \epsilon \tan\delta$
- Material properties do not allow for high ϵ tuning and low loss tangent simultaneously
- Material response time < **10 ns** (limit of manufacturer's testing)

Ferroelectrics (FE) are the key - continued

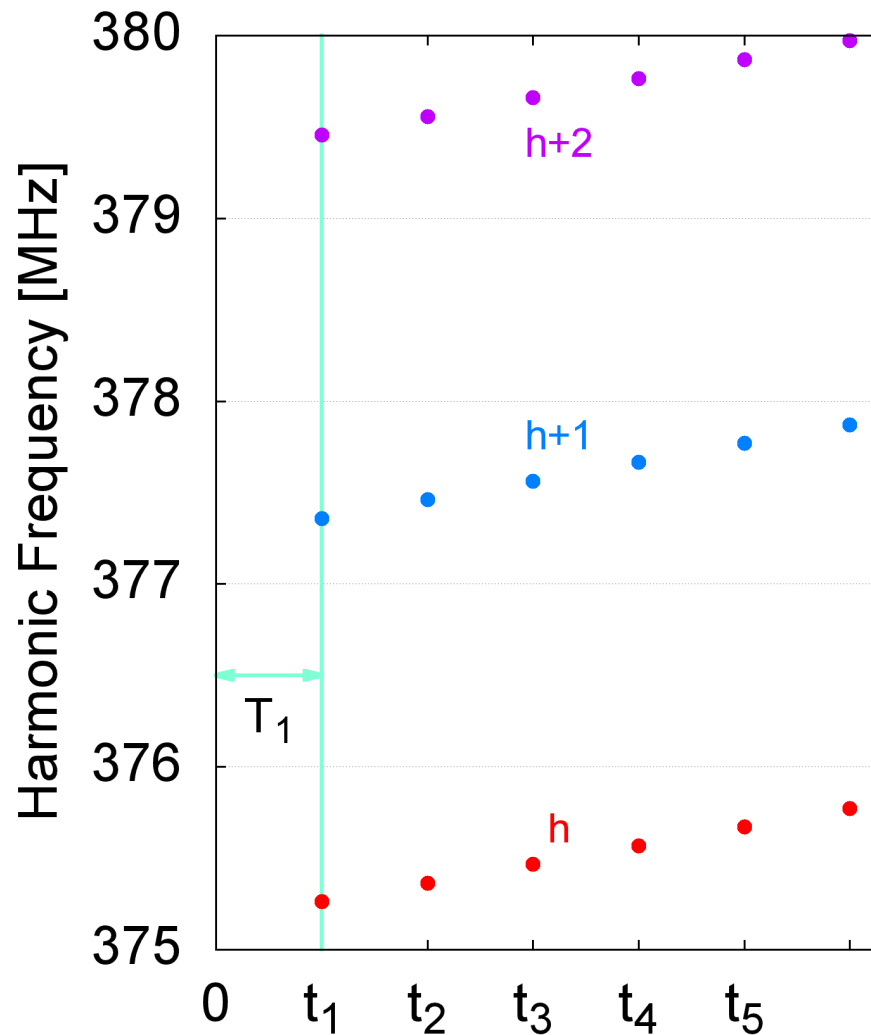
- **Ferroelectric tuning is directly analogous with ferrite tuning**
 - **Permittivity (permeability) change results in a frequency shift**
 - **Strength of the effect is based on the fraction of electric (magnetic) RF field stored energy in the material.**
 - **Losses are associated with the stored energy in the material and the electric (magnetic) loss tangent**
 - **Heat mitigation is a primary concern**
- **The effect of a large change in the dielectric constant results in non-linear perturbation of the RF field patterns**

Characteristics of Ferroelectric Material

Dielectric Constant Based on Measured Data



Harmonic Number Ratcheting



Consider a case:
(h= harmonic number)

At $t=t_1$, orbit time is T_1

If $h = 100$, $f_{100} = 100 / T_1$

If $h = 101$, $f_{101} = 101 / T_1$

If $h = 102$, $f_{102} = 102 / T_1$

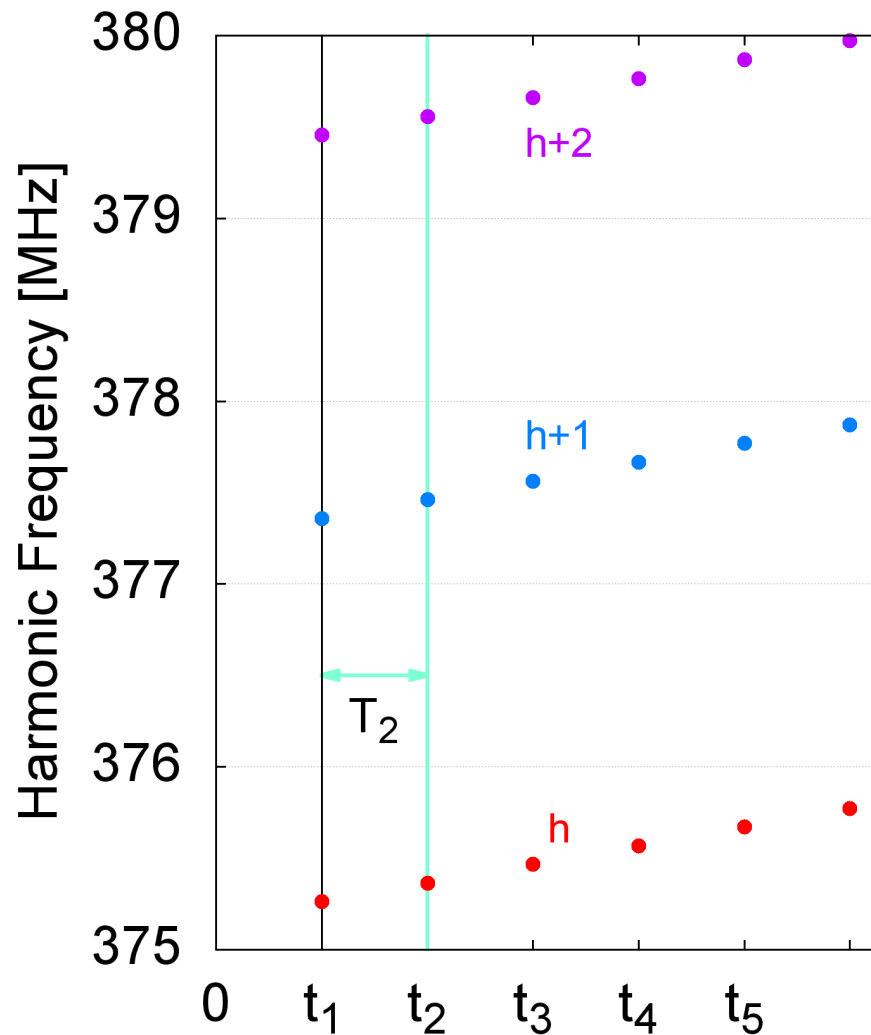
At $t=t_2$, orbit time is T_2

If $h = 100$, $f_{100} = 100 / T_2$

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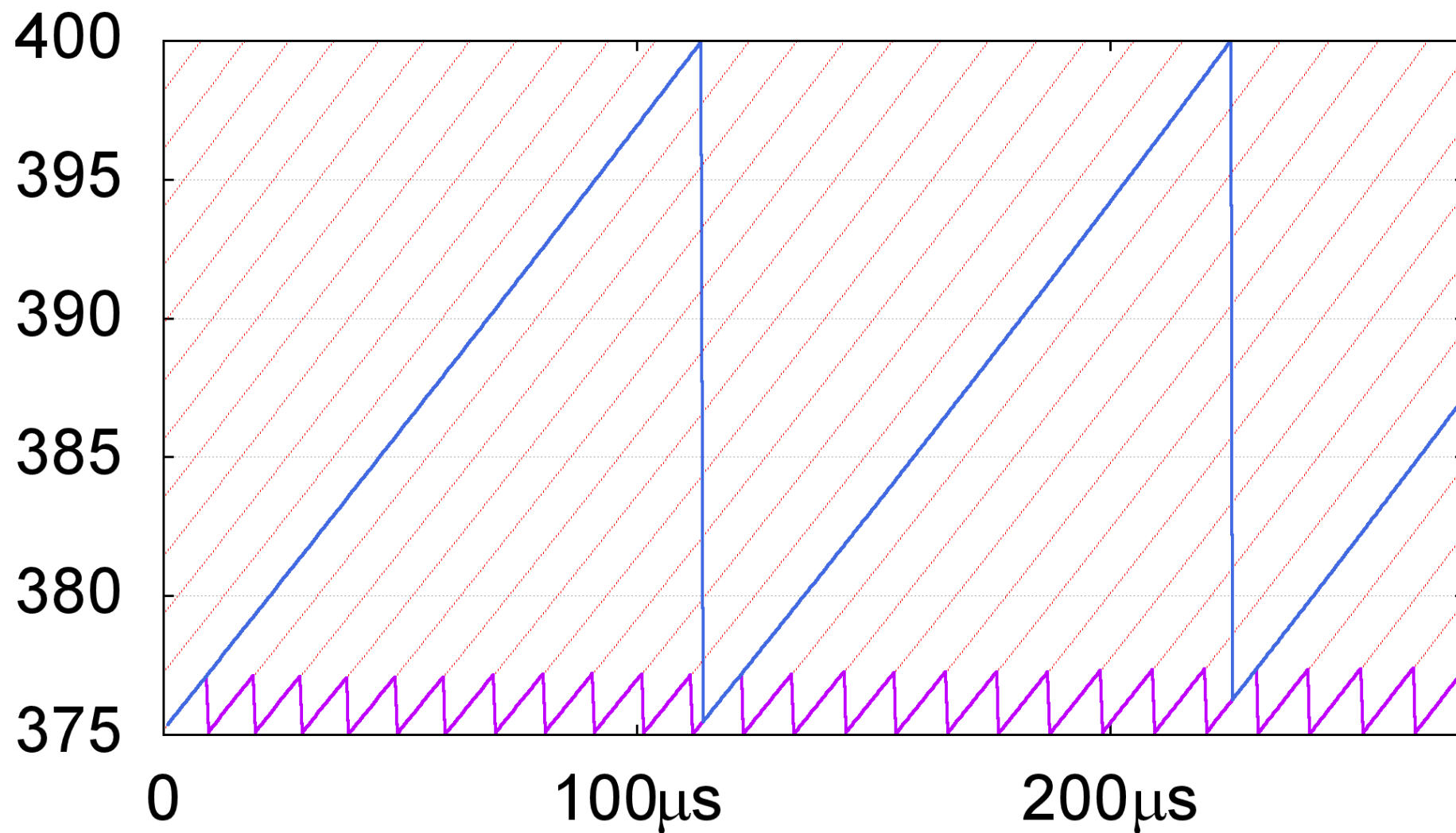
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Harmonic Number Ratcheting - continued



A tunable cavity design by FAR-TECH, Inc.

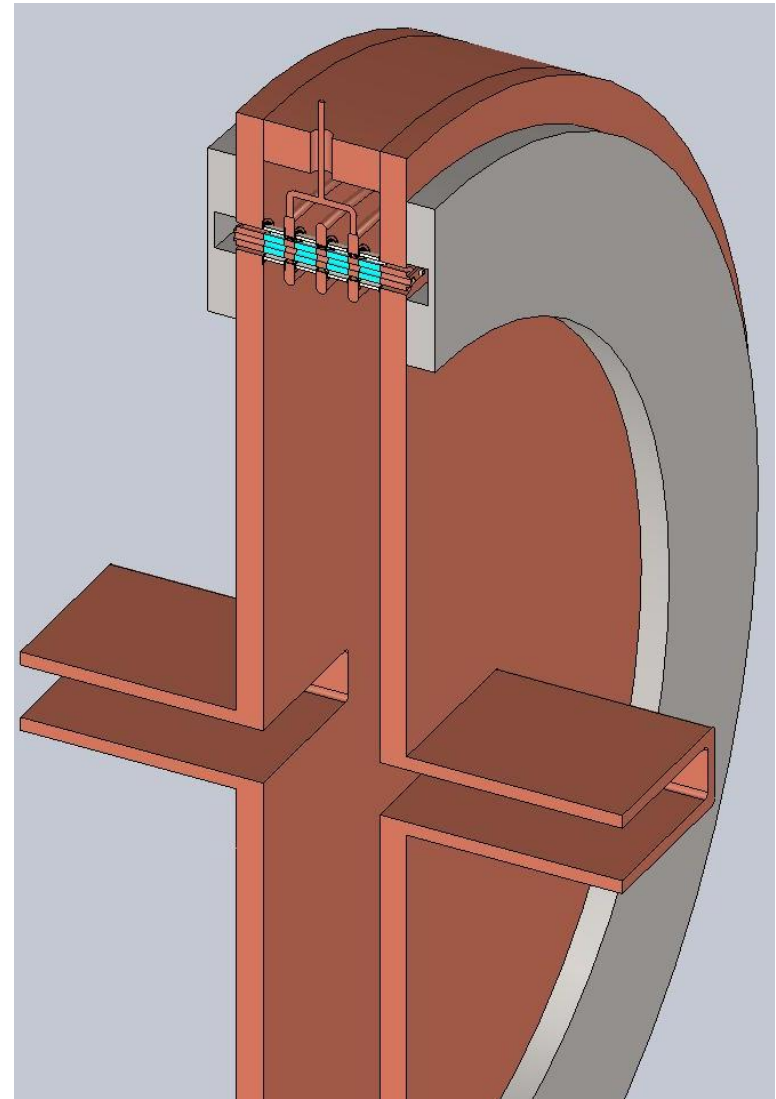
For $\Delta f_{\text{full bias}} = 25 \text{ MHz}$, the estimated (realistic) phase shift is 0.3π in 150 ns

Cartridge is placed in low E_{RF} region

The biasing scheme requires careful considerations

- Bias is not DC
- Bias load is a capacitor, with stray and fixed inductance
- Without an energy conserving scheme, bias power loss could be as high as 1 MW

Cooled cartridge is separated from the cavity vacuum.



Tunable cavity design parameters

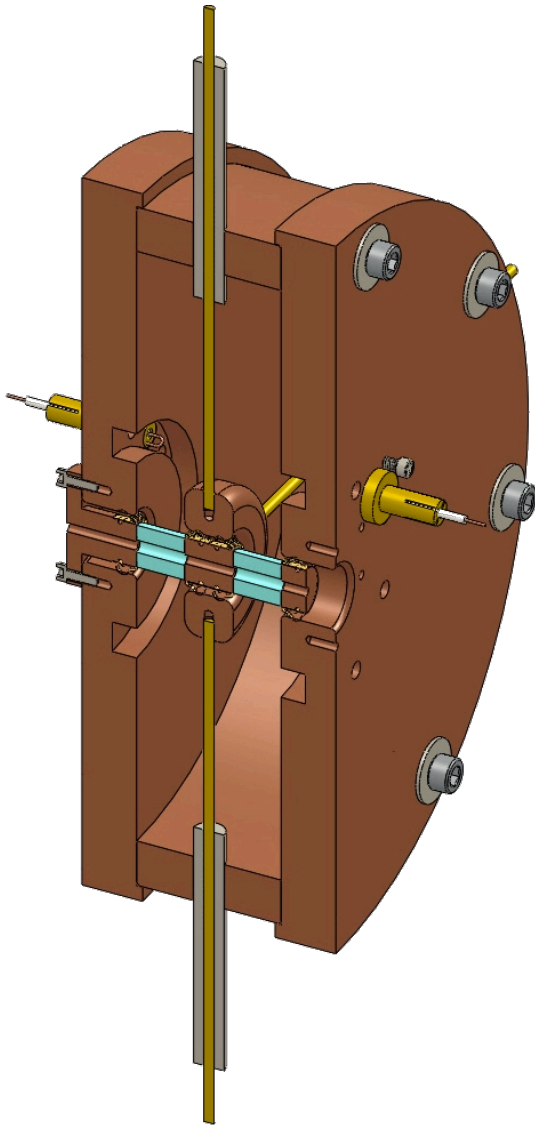
Property	Unbiased case	Biased case
Permittivity	$\epsilon = 450$	$\epsilon = 322$
Frequency (MHz)	376	400
Q-Factor	3970	5890
Copper Losses (W)	3640	2070
Ferroelectric Losses (W)	4200	1510
Total Losses (W)	7840	3580
Energy Gain ($\beta = 0.4$) (keV)	30	30
RF Energy Stored in Vacuum (mJ)	6.8	6.2
RF Energy Stored in Ferroelectric (mJ)	6.3	2.1
ZTT (M Ω /m)	0.57	1.26
r/Q (Ω)	29.0	42.7

For an unloaded pillbox cavity (no beam pipe) of the same radius:

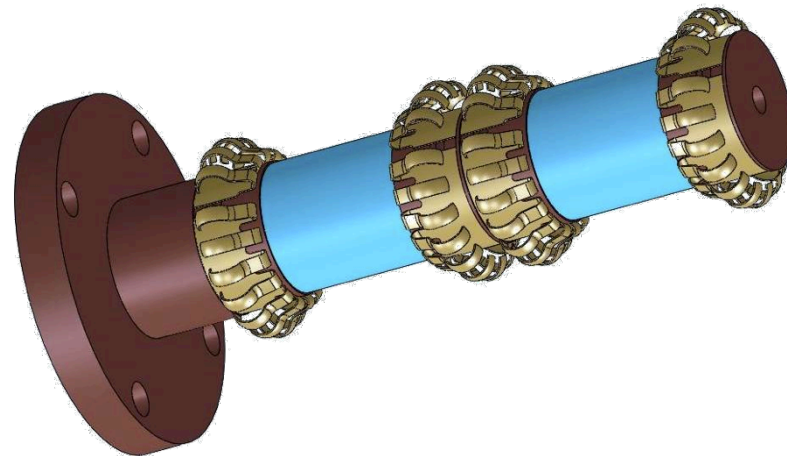
$$f = 428.9 \text{ MHz}$$

$$Q = 22800$$

Cold Test Cell for Basic Verification Studies



- Placed the cartridge in center
- Test construction details
 - Contact spring
 - Solder joints
 - Test FE coating technique
- Cavity Q measurements



Cold Test Without Cartridge

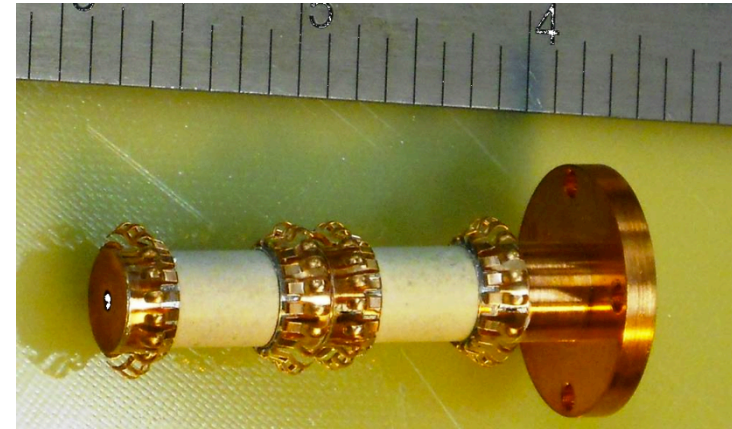
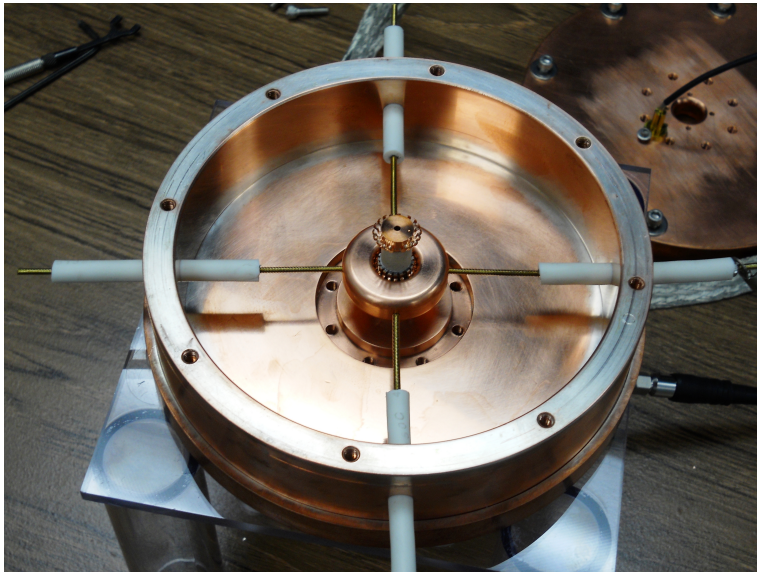


	Fundamental	Quadrupole
f_{meas} (MHz)	1809.3	3830.1
f_{HFSS} (MHz)	1809.6	3834.6
Q_{meas}	10800	14700
Q_{HFSS}	12820	18008

Due to joint resistance in bolted cavity

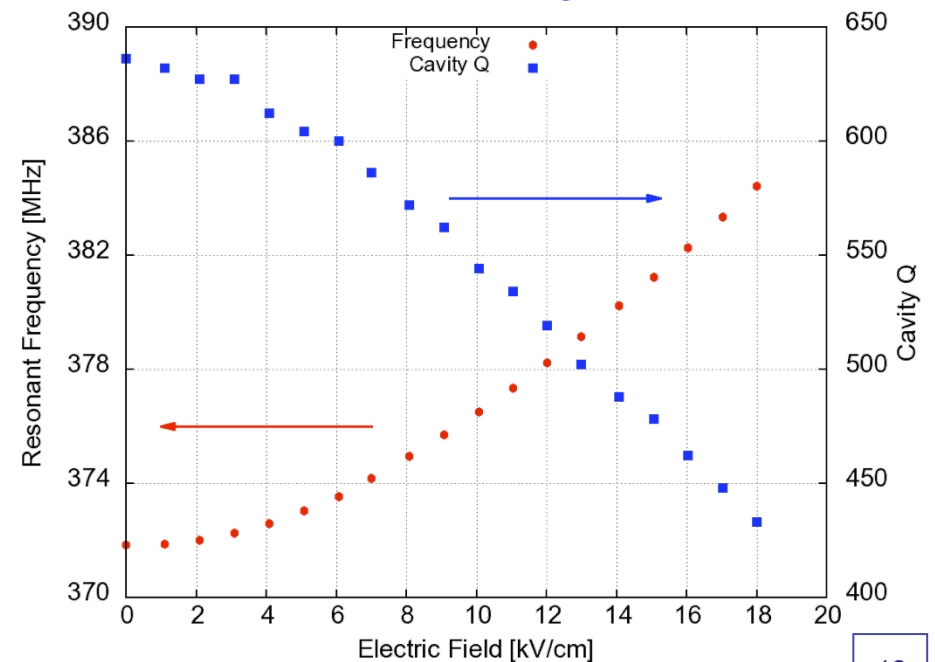
~375 MHz w cartridge

Cartridge Cold Test with Network Analyzer

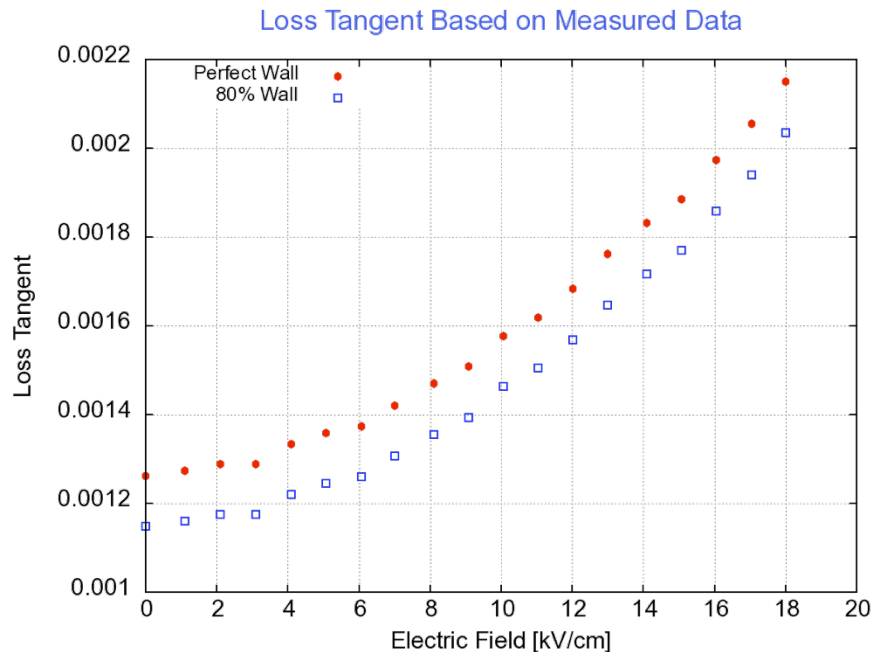
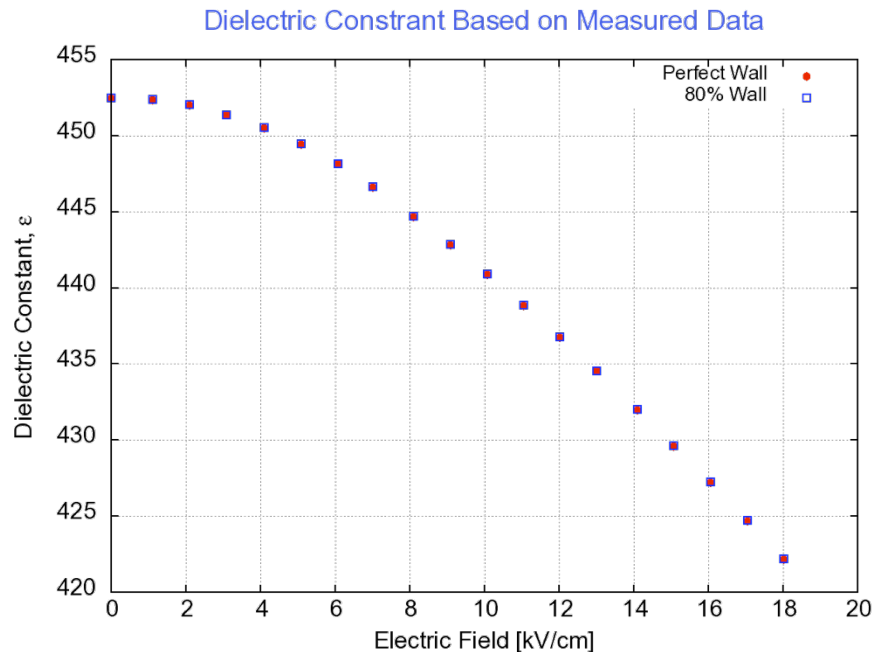


- Transformer oil needed inside tube to reduce arcing
- DC electric field bias inferred from voltage and 1cm FE length

Measured Bias Cartridge Values

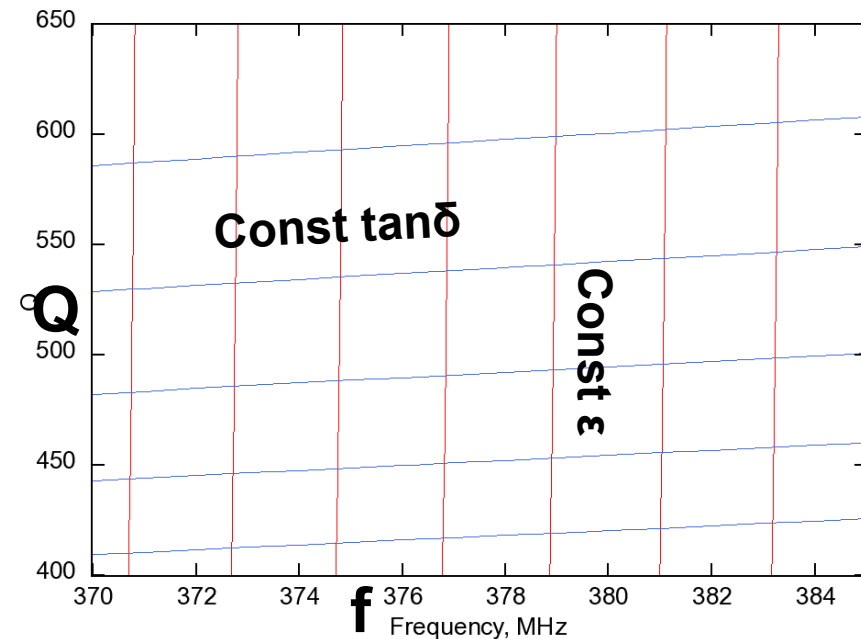
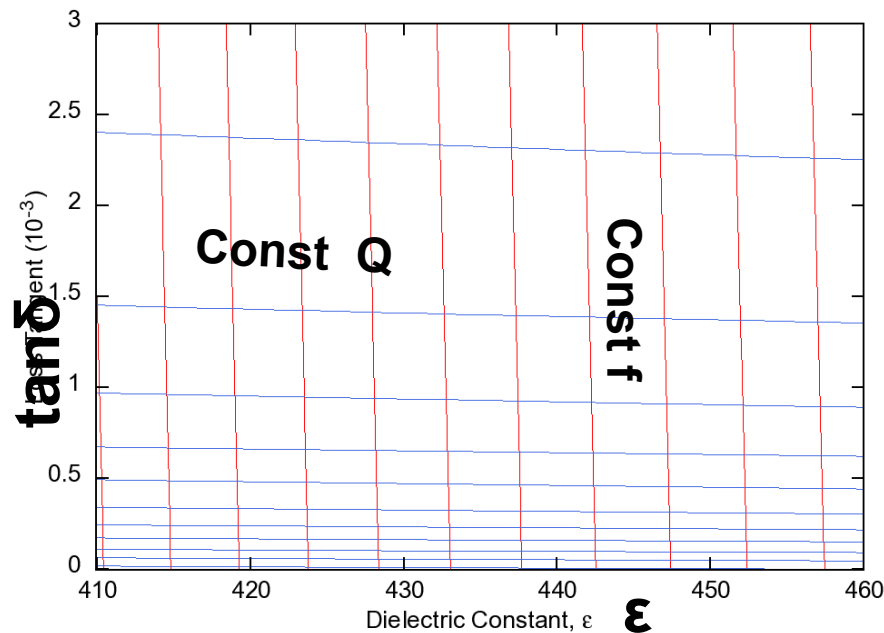


ϵ and $\tan\delta$ from Cold Test Data



- FE losses from $\tan\delta$ only – termination effects folded into bulk losses
- HFSS simulations to determine (f,Q) from (ϵ , $\tan\delta$)
- $Q = Q_{\text{wall}} \parallel Q_{\text{FE}}$
 - Reduction of Q_{wall} to 80% HFSS value to account for contact losses
- Use simulation data to determine (ϵ , $\tan\delta$) from measured (f,Q) – cubic spline interpolation

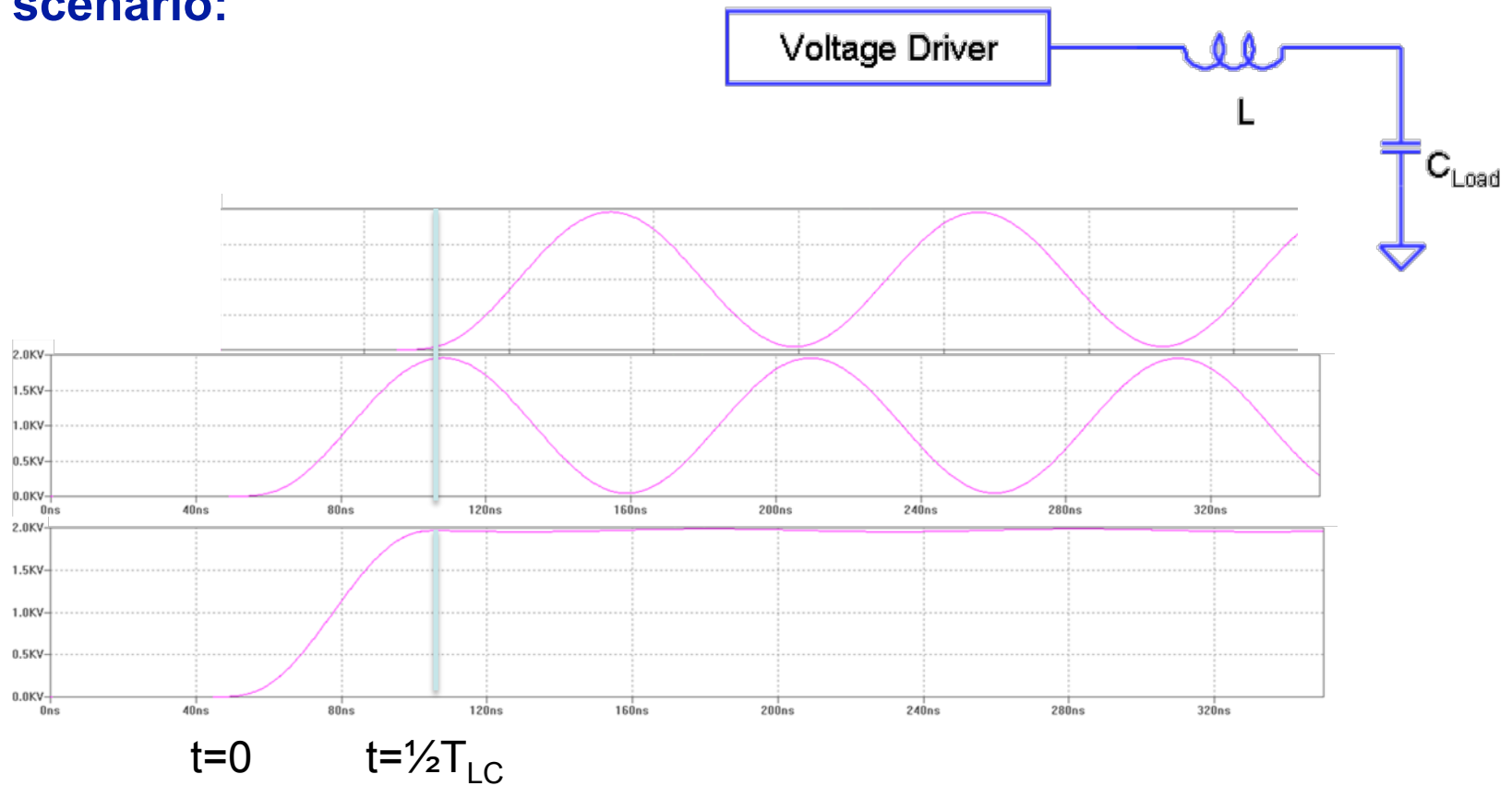
ϵ and $\tan\delta$ from Cold Test Data



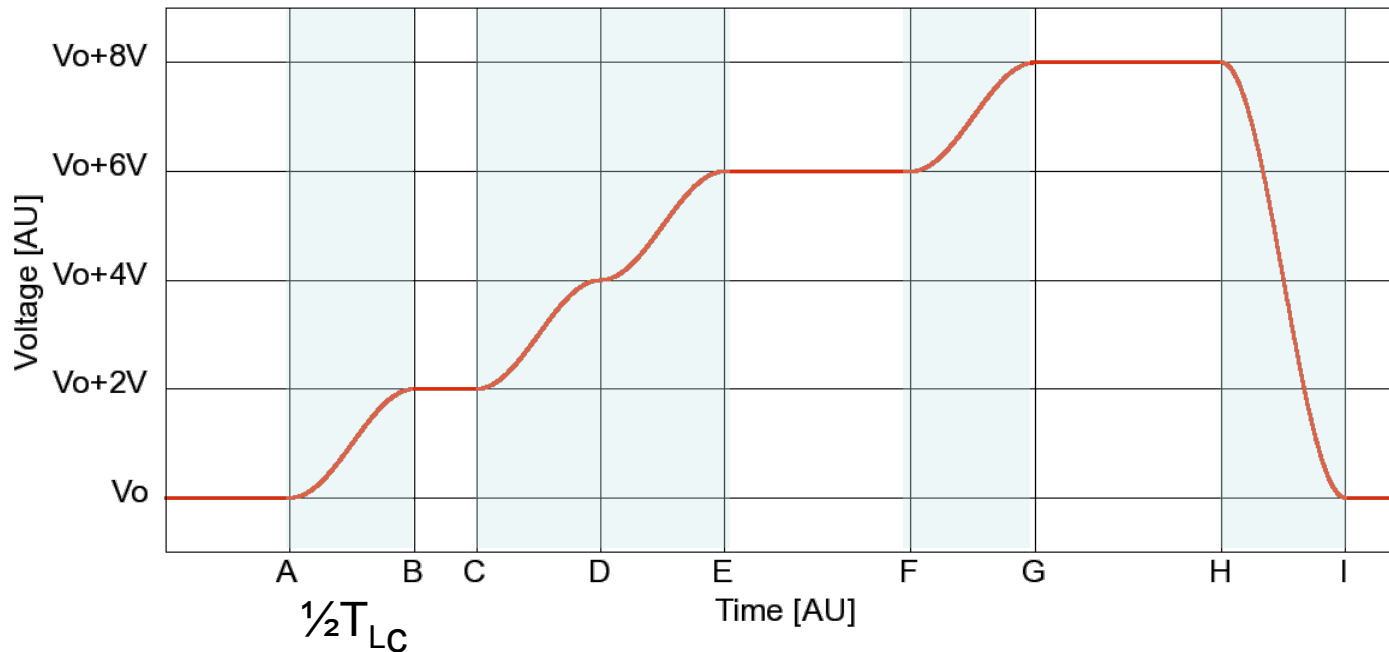
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Biasing the Cartridge

- A scenario:



A Scenario of Voltage Ramp on C_{Load}



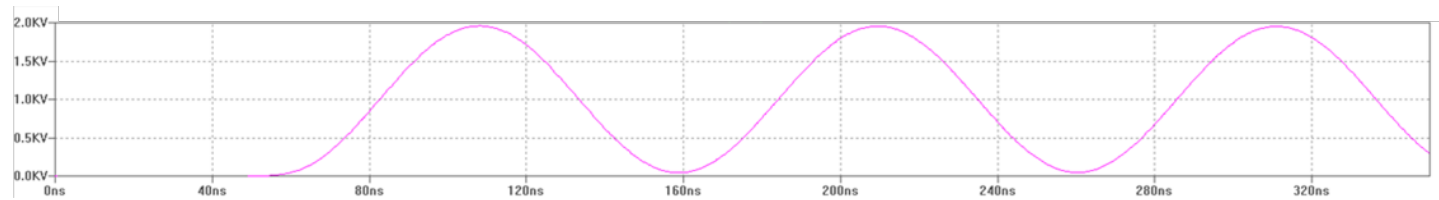
Scenario with 4-voltage sources

Delay between (dis)charge and park (shaded) is $\frac{1}{2}T_{LC}$

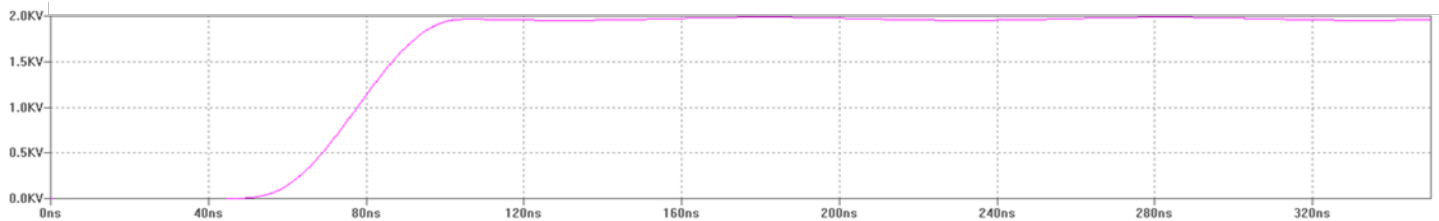
Arbitrary delay between park and next (dis)charge

Spice Simulation – Results

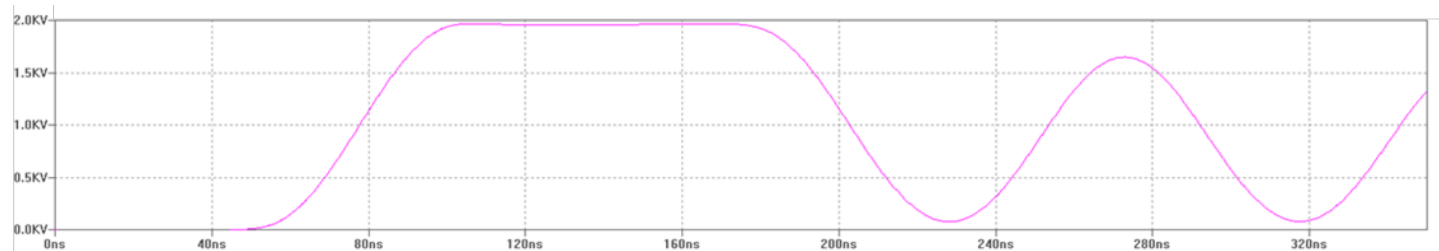
Charge
Open #1 & #3
Close #2



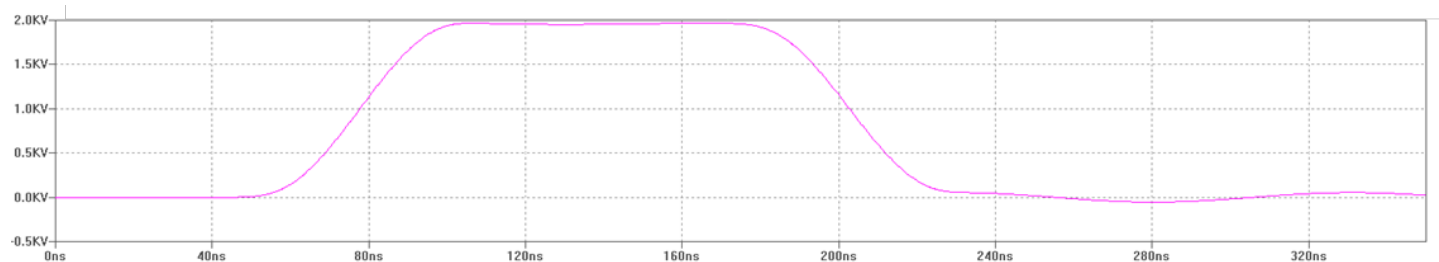
& Park
Close #4



& Discharge
Open #2 & #4
Close #3

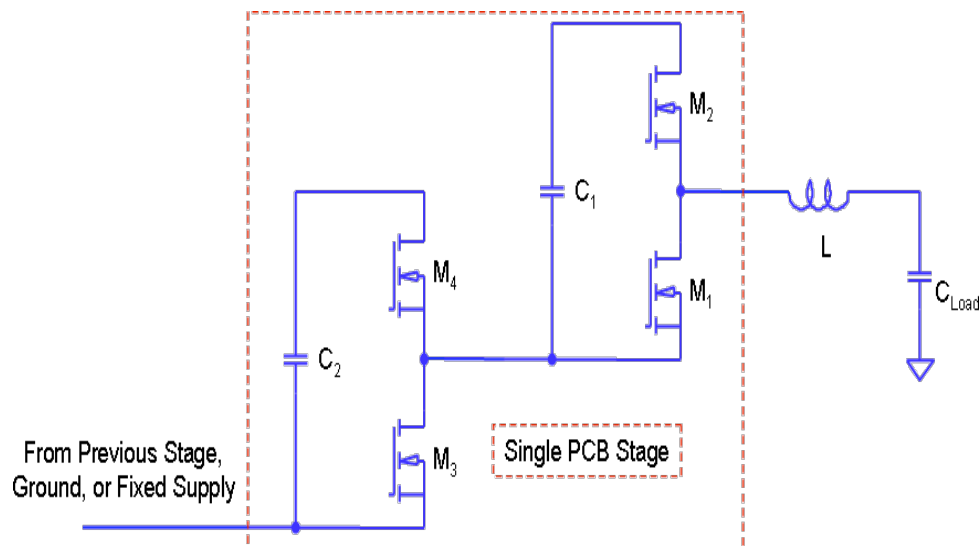


& Park
Close #1



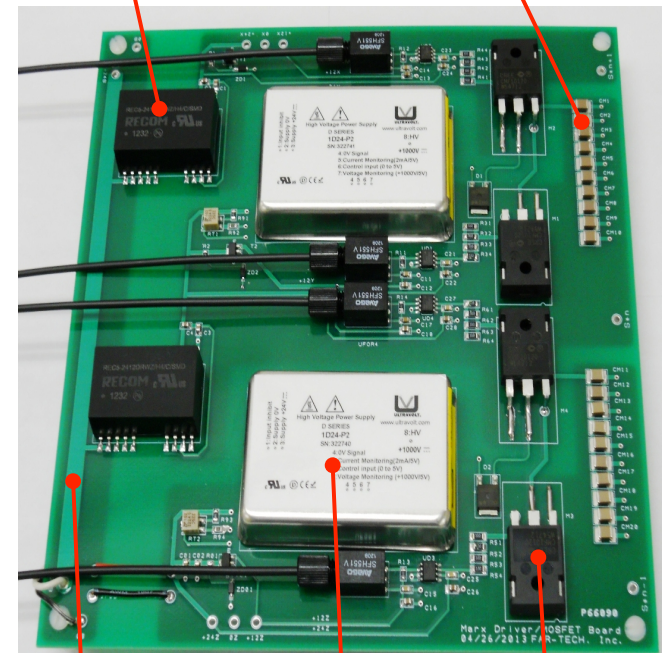
Imperfect “flat ” parking due to switching energy loss, and resulting miss-match in voltages between stages and load

Bias Voltage Switching Circuit Board



24V Isolated
DC/DC Converter

Storage Capacitor
Bank ($1\mu\text{F}$ Shown)



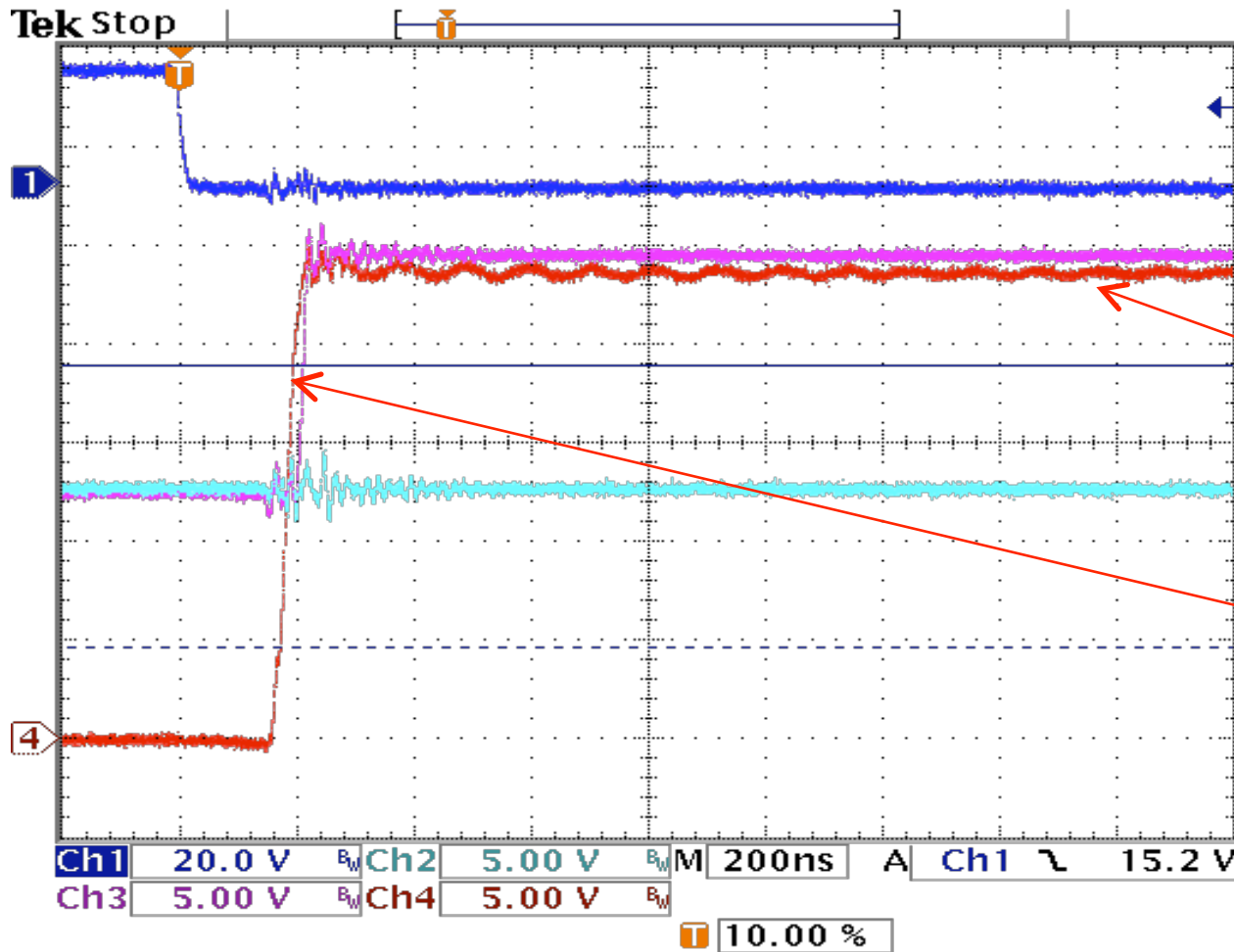
24VDC Buss

24V/1kV
DC/DC Converter

MOSFET

2 kV Testing with Fixed C_{Load} -- Charge

Charge & Park



M3 Gate (trigger)

Voltage on C2

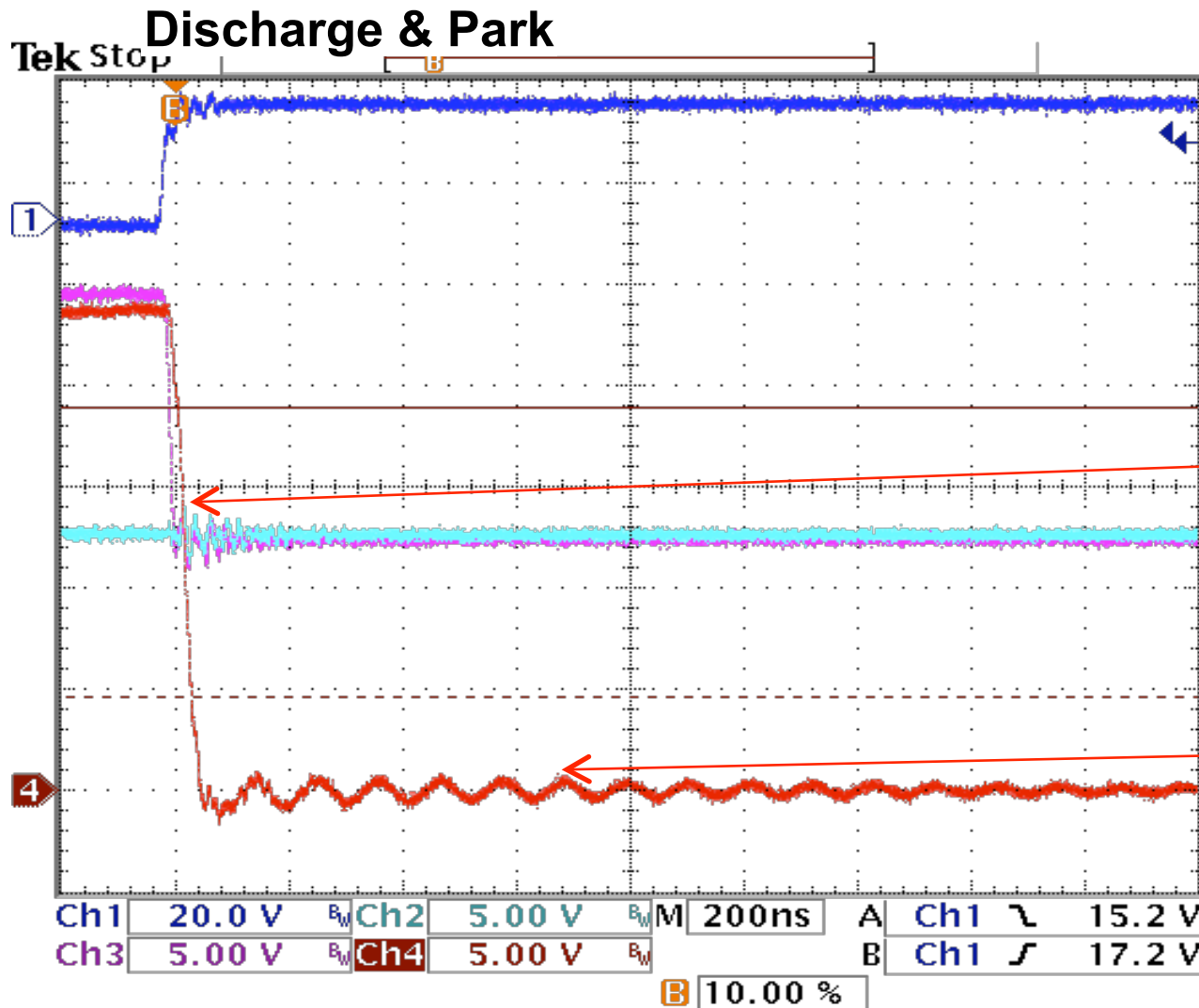
Voltage on C1

Voltage on C_{Load}

Adjust timing to minimize ring

**Voltage on load
increases from 0 to
~2 kV**

2 kV Testing with Fixed C_{Load} – Discharge



M3 Gate (trigger)

Voltage on C2

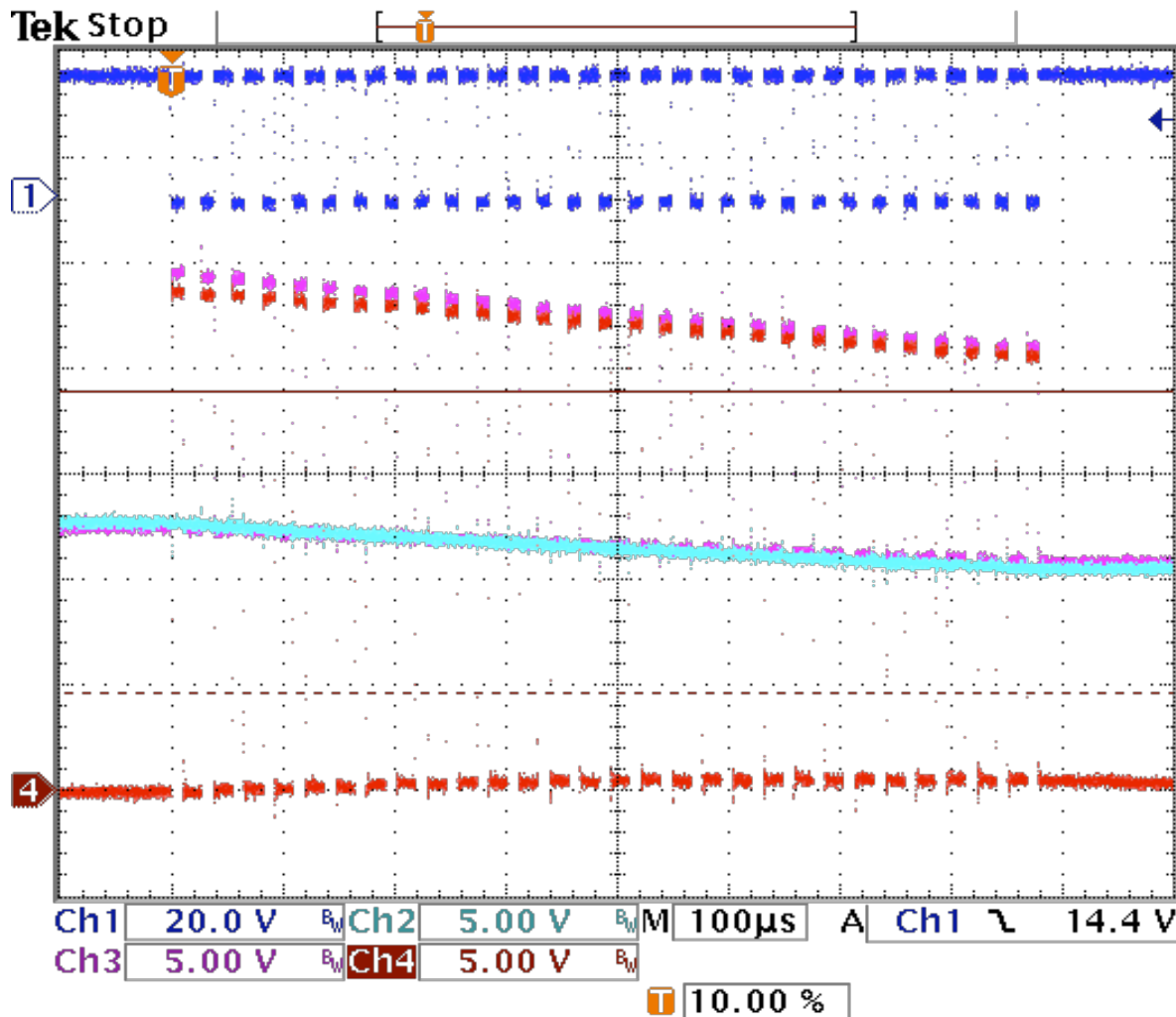
Voltage on C1

Voltage on C_{Load}

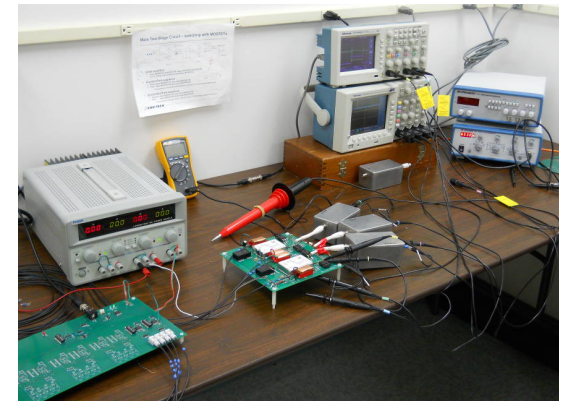
Voltage on load
decreases from ~2kV
to 0

Adjust timing to
minimize ring

2 kV Testing with Fixed C_{Load} – Losses

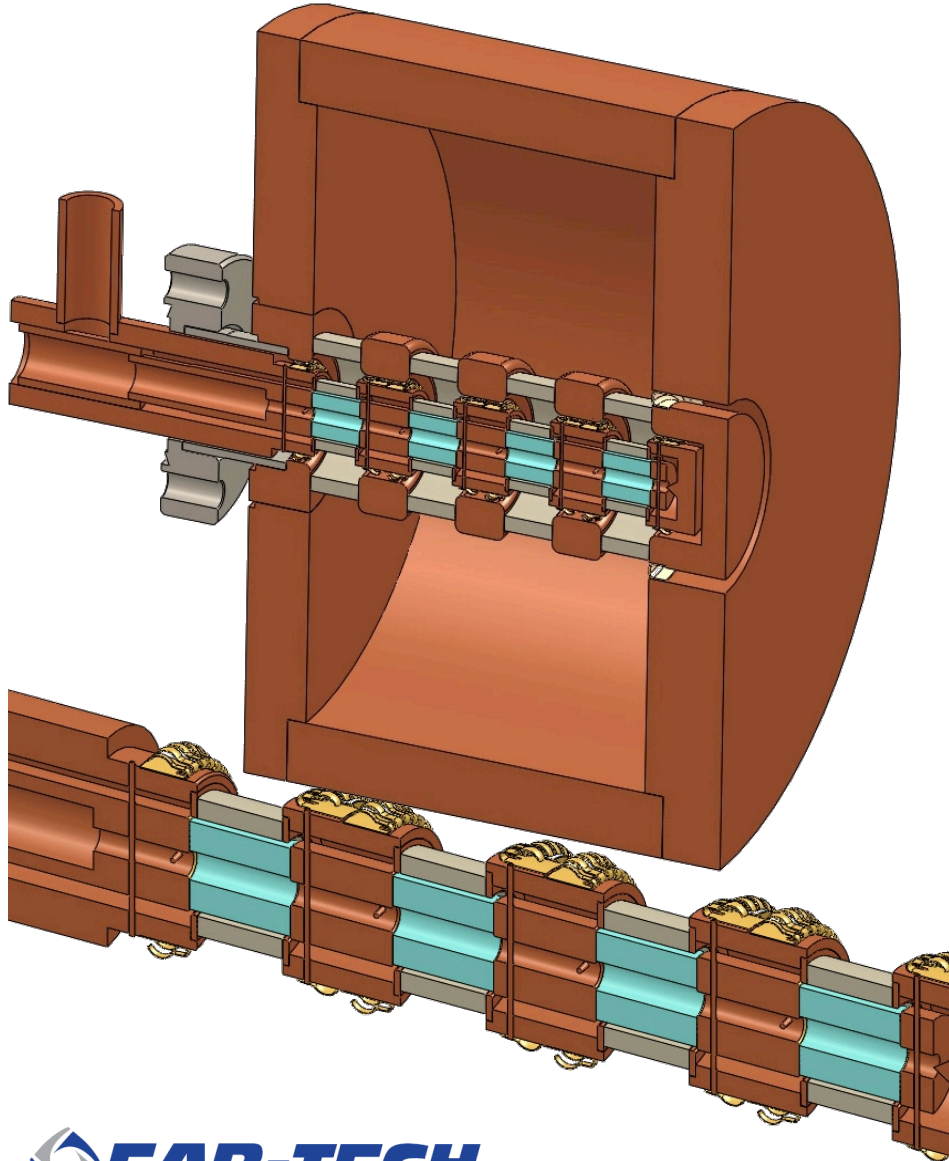


M3 Gate (trigger)
Voltage on C2
Voltage on C1
Voltage on C_{Load}



Multiple pulses with deliberately reduced storage capacitance enhances the effect of losses for measurement and determines charging requirements

High Power Equivalent Test Cell for Cartridge Development (work in progress)



- The goal is to determine maximum possible RF electric field on the FE and study hysteresis effects
- Place cartridge on axis:
 - Concentrates RF electric field
 - RF power reduced for same RF field in the FE as seen in a real accelerating cavity
- FE is cooled with dielectric fluid in a series flow
- Vacuum, and dielectric fluid coolant are separated by outer layer of Al_2O_3
- Cartridge is removable under vacuum operation – **major advantage**
- Complicated construction process, many issues are under investigation

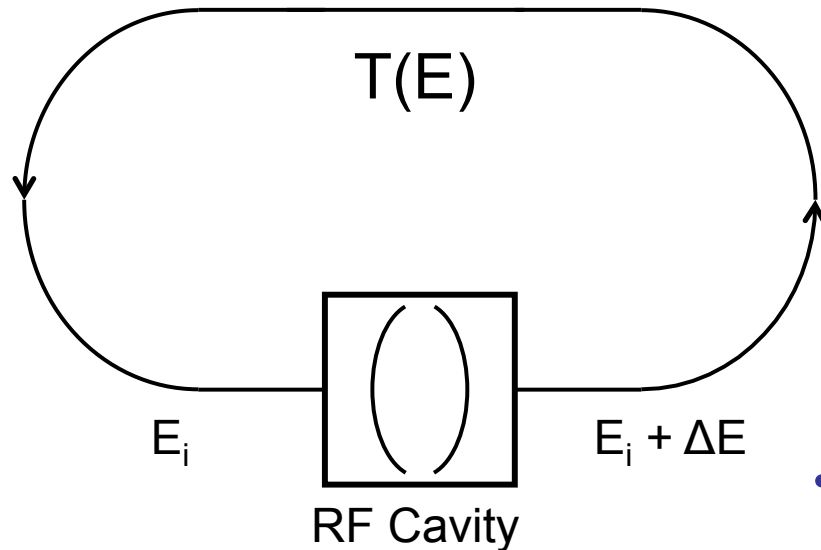
Conclusion

- Ferroelectric cartridge has potential for rapidly tunable cavity.
- Rapidly tunable cavity opens up new lattice design possibilities that have not been fully explored
- Cold tests of the 2-cell cartridge performed.
 - Inferred ϵ and $\tan\delta$ from measured f and Q as function of bias V
- DC Voltage control and fast switching fabricated. Tested up to 2KV in 55 nsec.

Next step: ----

4-cell cooled cartridge in vacuum cavity
with 8 kV pulser 55 nsec (50 pC load)

A message ...



$$\frac{\varphi_{rf}}{2\pi} = \int_{t_i}^{t_i+T} f(t) dt$$

- For **changing** frequency, adjust $f(t)$ such that the phase change between crossings ($\varphi_{rf}/2\pi$) is an integer
- Required tunability could be less than what we thought



FAR-TECH

Fusion and Accelerator Research and Technology, San Diego CA

Beam Source Modeling

Plasma Technology: Modeling and Diagnostics

Linac Systems: RF source, Structure, Integration

Beam Instrumentation

Solid State Amplifiers

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